

Test of lepton universality in rare beauty quark decays

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CIEMAT HEP seminar

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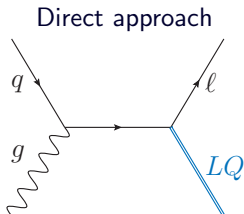
The Standard Model

	I	II	III		
mass	$\approx 2.4 \text{ MeV}/c^2$	$\approx 1.275 \text{ GeV}/c^2$	$\approx 172.44 \text{ GeV}/c^2$	0	$\approx 125.09 \text{ GeV}/c^2$
charge	$2/3$	$2/3$	$2/3$	0	0
spin	$1/2$	$1/2$	$1/2$	1	0
	u up	c charm	t top	g gluon	H Higgs
QUARKS	$\approx 4.8 \text{ MeV}/c^2$ $-1/3$ $1/2$ d down	$\approx 95 \text{ MeV}/c^2$ $-1/3$ $1/2$ s strange	$\approx 4.18 \text{ GeV}/c^2$ $-1/3$ $1/2$ b bottom	0 0 0 1 γ photon	SCALAR BOSONS
	$\approx 0.511 \text{ MeV}/c^2$ -1 $1/2$ e electron	$\approx 105.67 \text{ MeV}/c^2$ -1 $1/2$ μ muon	$\approx 1.7768 \text{ GeV}/c^2$ -1 $1/2$ τ tau	0 1 1 Z Z boson	
LEPTONS	$< 2.2 \text{ eV}/c^2$ 0 $1/2$ ν_e electron neutrino	$< 1.7 \text{ MeV}/c^2$ 0 $1/2$ ν_μ muon neutrino	$< 15.5 \text{ MeV}/c^2$ 0 $1/2$ ν_τ tau neutrino	$\approx 80.39 \text{ GeV}/c^2$ ± 1 1 W W boson	
				Gauge Bosons	

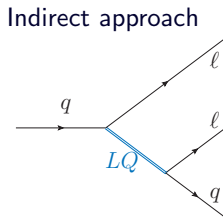
- Mathematical model that describes all fundamental particles and their interactions
- Still open questions (DM, matter-antimatter asymmetry, ...) \Rightarrow SM is not the full picture

Quest for New Physics

The SM is thought to be the low-energy limit of a more fundamental theory at higher energy scale with new particles and interactions.



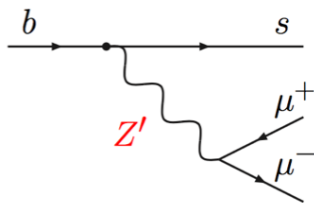
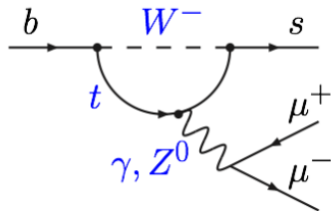
- Direct production of new particles in the collision
- Easy interpretation
- Probes masses $< E_{\text{collision}}$



- New (virtual) particles induce deviations from the SM predictions
- More difficult interpretation
- Probes very-high mass scales

Rare beautiful decays

- Decays involving $b \rightarrow s(d)l^+l^-$ transitions (FCNC)
 - forbidden at tree level in the SM



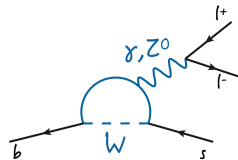
Strongly suppressed in the SM, but **not necessarily beyond the SM!**

Flavour anomalies

In recent years, we have observed an interesting set of tensions with the SM predictions

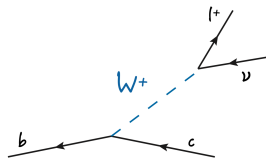
A) In $b \rightarrow s \ell^+ \ell^-$ transitions (FCNC)

- **Branching fractions** of $b \rightarrow s \mu^+ \mu^-$ decays
- **Angular observables** in $b \rightarrow s \mu^+ \mu^-$ decays
- **Lepton Flavour Universality tests** in μ/e ratios



B) In $b \rightarrow c \ell \nu$ transitions (tree-level)

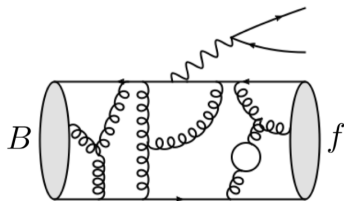
- Lepton Flavour Universality tests in μ/τ ratios



Theory uncertainties: Exclusive decays

Unfortunately, we do not observe the quark-transition, but the hadron decay
 \Rightarrow We need to compute hadronic matrix elements (form-factors and decay constants)

$$b \rightarrow s\mu\mu \quad \Longrightarrow \quad B^+ \rightarrow K^+ \mu^+ \mu^-, \quad B^0 \rightarrow K^{*0} \mu^+ \mu^-, \quad B_s \rightarrow \phi \mu^+ \mu^- \dots$$



e.g. semileptonic decay

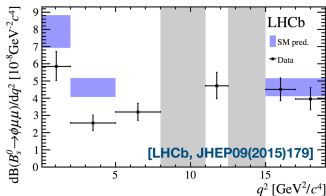
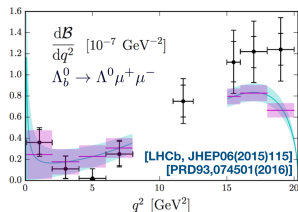
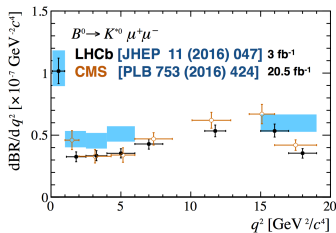
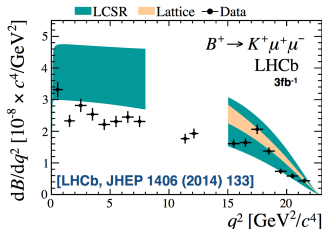
\rightarrow Non-perturbative QCD, i.e. these are difficult to compute.

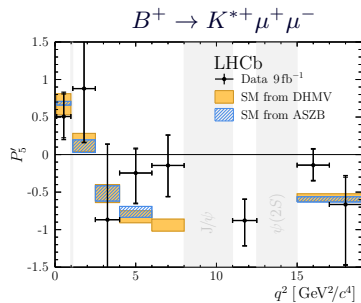
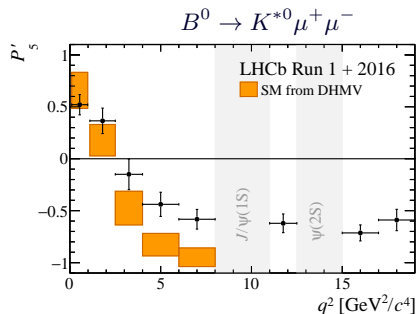
(Lattice QCD, QCD factorisation, Light-Cone sum rules...)

\rightarrow Certain observables will profit from cancellation of these hadronic nuisances, making them more sensitive to New Physics contributions.

Branching fraction measurements

- Branching fractions consistently below the SM prediction at low $q^2 = [m(\ell^+\ell^-)]^2$ for many $b \rightarrow s\mu\mu$ processes ($2-3\sigma$)



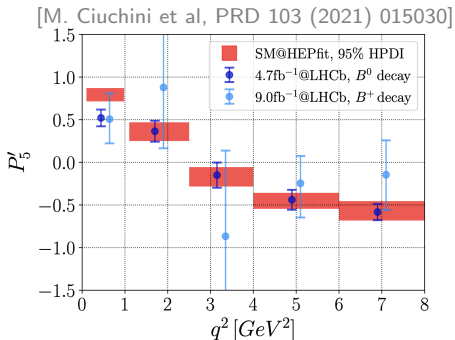
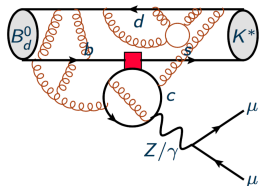


- Complementary constraints on NP & orthogonal experimental systematics compared to BR's
- Give access to observables with reduced dependence on hadronic effects [JHEP 1204 (2012) 104]
- Tension with the SM at the level of $\sim 3\sigma$

New Physics or QCD?

Debate on whether we can trust the SM predictions in these observables,

- Could unaccounted for $c\bar{c}$ -loop contributions mimic a NP contribution?



Lepton flavour universality tests

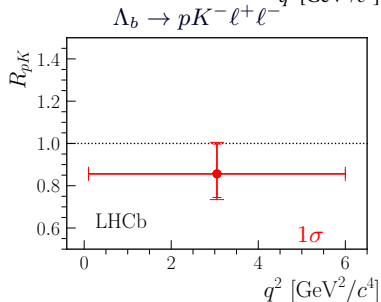
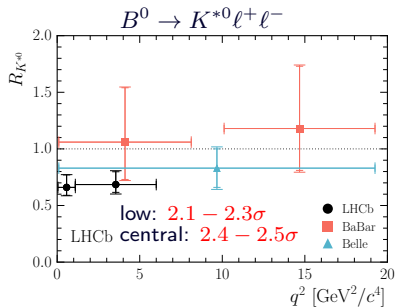
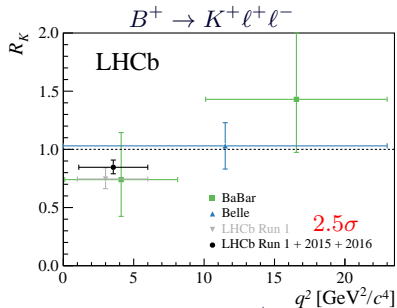
- In the Standard Model, couplings of the gauge bosons to leptons are independent of lepton flavour
 - branching fractions of e , μ and τ differ only by phase space and helicity-suppressed contributions
- Ratios of the form:

$$R_K = \frac{BR(B^+ \rightarrow K^+ \mu^+ \mu^-)}{BR(B^+ \rightarrow K^+ e^+ e^-)} \stackrel{\text{SM}}{\cong} 1$$

- **Free from QCD uncertainties that may affect other observables** (hadronic effects cancel in the ratio, error is $\mathcal{O}(10^{-4})$ [JHEP 07 (2007) 040])
- QED corrections can be $\mathcal{O}(10^{-2})$ [EPJC 76 (2016) 8,440]

Any sign of lepton flavour non-universality would be smoking gun for New Physics

LFU ratios



[LHCb, PRL 122 (2019) 191801]
 [LHCb, JHEP 08 (2017) 055]
 [BaBar, PRD 86 (2012) 032012]
 [Belle, PRL 103 (2009) 171801]
 [LHCb, JHEP 05 (2020) 040]

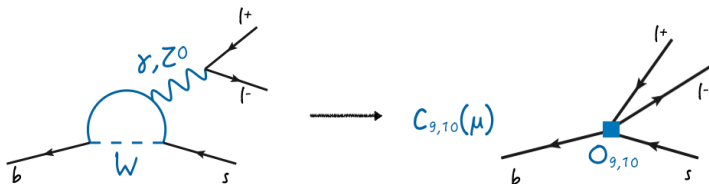
Theoretical framework - Effective theory

- Can describe these interactions in terms of an effective Hamiltonian that describes the full theory at lower energies (μ)

$$\mathcal{H}_{\text{eff}} \sim \sum_i C_i(\mu) \mathcal{O}_i(\mu)$$

$C_i(\mu) \rightarrow$ Wilson coefficient
(perturbative, short-distance physics, sensitive to $E > \mu$)

$\mathcal{O}_i \rightarrow$ Local operators
(non-perturbative, long-distance physics, sensitive to $E < \mu$)



\rightarrow Contributions from New Physics will modify the measured value of the Wilson coefficients present in the SM or introduce new operators

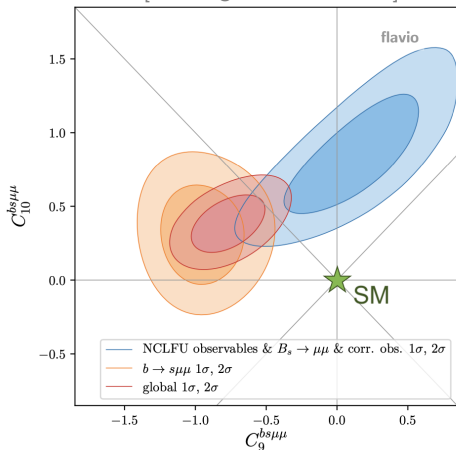
Global fits to $b \rightarrow s\ell^+\ell^-$ observables

[P. Stangl, La Thuile 2021]

Best fit prefers shifted muon vector coupling $C_9^{\mu\mu}$ (or a combination $C_9^{\mu\mu}$ and axial-vector $C_{10}^{\mu\mu}$)

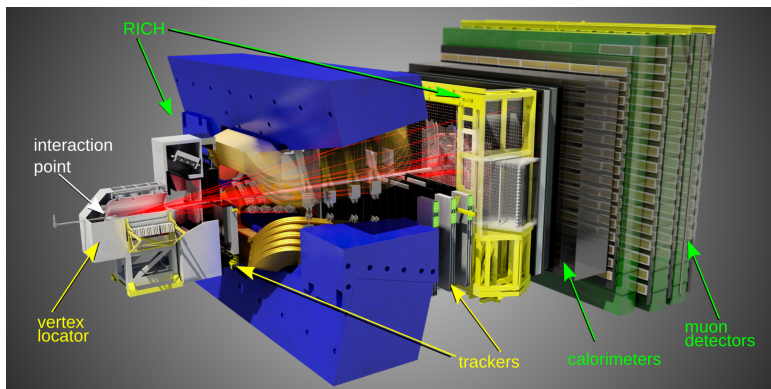
- LFU observables and $B_s^0 \rightarrow \mu^+\mu^-$ [theoretically clean]
- Angular observables and BR's [considerable hadronic uncertainties]

Critical to improve precision in theoretically clean observables



[similar fits by Aebischer et al. arXiv:1903.10434, Algueró et al., arXiv:1903.09578, Kowalska et al. arXiv:1903.10932, Ciuchini et al. arXiv:2011.01212, Datta et al. arXiv:1903.10086, Arbey et al. arXiv:1904.08399]

The LHCb detector



- Forward spectrometer to study b- and c-hadron decays ($2 < \eta < 5$) @ LHC

- Good vertex and impact parameter resolution ($\sigma(IP) = 15 + 29/p_T$) μm)
- Excellent momentum resolution ($\sigma(m_B) \sim 25 \text{ MeV}/c^2$ for 2-body decays)
- Excellent particle ID (μ ID 97% for ($\pi \rightarrow \mu$) misID of 1-3%)
- Versatile & efficient trigger

JINST 3 (2008) S080005

Int. J. Mod. Phys. A 30 (2015) 1530022

New R_K measurement: LFU in $B^+ \rightarrow K^+ \ell^+ \ell^-$

$$R_K = \frac{\int_{1.1 \text{ GeV}^2}^{6.0 \text{ GeV}^2} \frac{d\mathcal{B}(B^+ \rightarrow K^+ \mu^+ \mu^-)}{dq^2} dq^2}{\int_{1.1 \text{ GeV}^2}^{6.0 \text{ GeV}^2} \frac{d\mathcal{B}(B^+ \rightarrow K^+ e^+ e^-)}{dq^2} dq^2}$$

Measurement performed on full LHCb dataset, **\sim twice as many B 's as previous analysis**

- Previously analysed Run1 and 2015+2016 data (5 fb^{-1})
- Added 2017 and 2018 datasets (4 fb^{-1})

Similar strategy to previous measurement [LHCb, PRL 122 (2019) 191801]

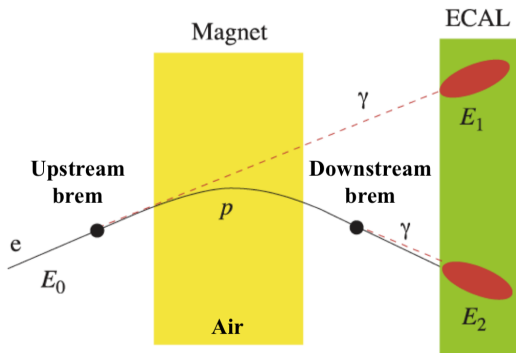
- Same q^2 region: **[1.1, 6.0] GeV^2/c^4**

Electron Bremsstrahlung

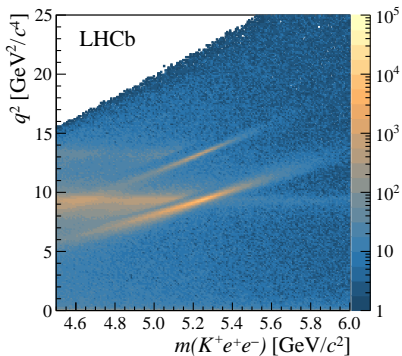
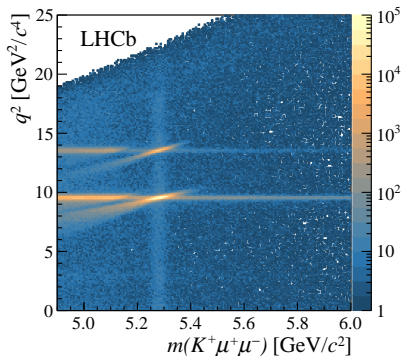
Electrons lose a large fraction of their energy through Bremsstrahlung radiation

Bremsstrahlung recovery procedure to improve momentum measurement for electrons

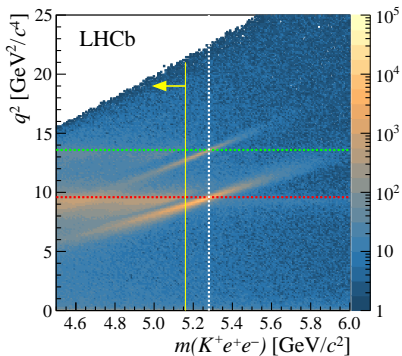
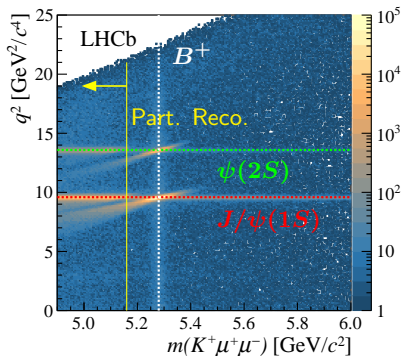
→ Add photon clusters in the calorimeter ($E_T > 75 \text{ MeV}$) compatible with electron direction before magnet



1. Even after Bremsstrahlung recovery, electrons still have degraded momentum, and mass/ q^2 resolution

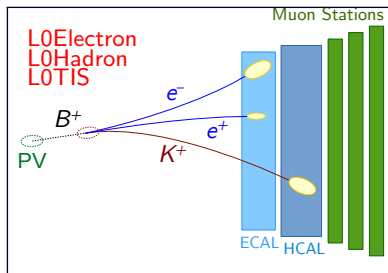
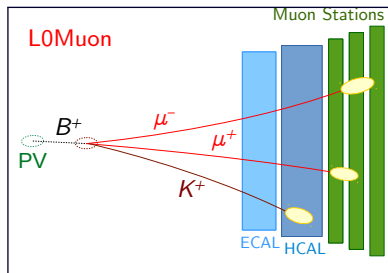


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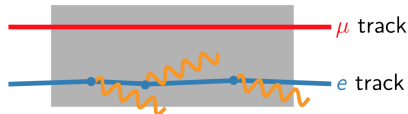
Electrons VS Muons

1. Even after Bremsstrahlung recovery, electrons still have degraded momentum, and mass/ q^2 resolution
2. Very different trigger signatures: Lower trigger efficiency for electrons
 - o Muons identified by Muon stations
 - o Electrons rely on signal in the Calorimeter (higher occupancy \Rightarrow higher trigger thresholds)



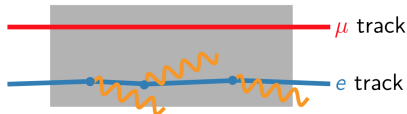
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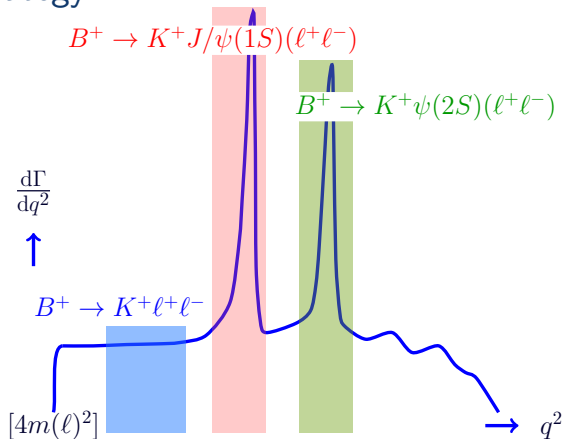
\rightarrow **Critical aspect of the analysis: Get the differences between electron and muon efficiencies fully under control**

Analysis strategy

$$\begin{aligned} R_K &= \frac{\mathcal{B}(B^+ \rightarrow K^+ \mu^+ \mu^-)}{\mathcal{B}(B^+ \rightarrow K^+ J/\psi(\mu^+ \mu^-))} \bigg/ \frac{\mathcal{B}(B^+ \rightarrow K^+ e^+ e^-)}{\mathcal{B}(B^+ \rightarrow K^+ J/\psi(e^+ e^-))} \\ &= \frac{N(B^+ \rightarrow K^+ \mu^+ \mu^-)}{N(B^+ \rightarrow K^+ J/\psi(\mu^+ \mu^-))} \times \frac{\varepsilon_{B^+ \rightarrow K^+ J/\psi(\mu^+ \mu^-)}}{\varepsilon_{B^+ \rightarrow K^+ \mu^+ \mu^-}} \\ &\quad \times \frac{N(B^+ \rightarrow K^+ J/\psi(e^+ e^-))}{N(B^+ \rightarrow K^+ e^+ e^-)} \times \frac{\varepsilon_{B^+ \rightarrow K^+ e^+ e^-}}{\varepsilon_{B^+ \rightarrow K^+ J/\psi(e^+ e^-)}} \end{aligned}$$

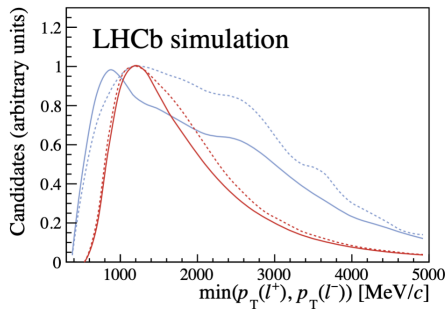
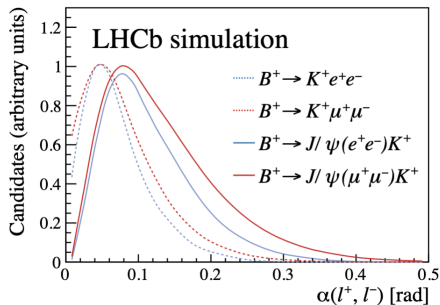
- R_K is measured as a **double ratio** to cancel out most systematics
→ $B^+ \rightarrow K^+ J/\psi(\ell^+ \ell^-)$ measured to be LF-universal within 0.4%
- Yields determined from a fit to the invariant mass of the final state particles
- Efficiencies computed using simulation that is calibrated with control channels in data

Analysis strategy



Resonant and **nonresonant** are separated in q^2

→ However, good overlap between $B^+ \rightarrow K^+ \ell^+ \ell^-$ and $B^+ \rightarrow K^+ J/\psi(\ell^+ \ell^-)$ in the variables relevant to the detector response



Resonant (—) and nonresonant (- - -) are separated in q^2

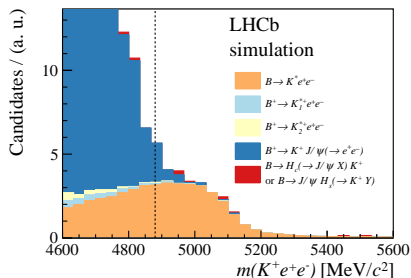
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Identical selection between resonant and rare modes (except q^2 and $m(K\ell\ell)$)

- Use particle ID requirements and mass vetoes to suppress exclusive B -decays to negligible levels
 - Backgrounds from e.g. $B \rightarrow \bar{D}^0(K\ell\nu)\ell\nu$, with $m(K\ell) > m_{D^0}$
 - Mis-ID backgrounds, e.g. $B \rightarrow K\pi_{(\rightarrow e^+)}^+\pi_{(\rightarrow e^-)}^-$, with electron ID
- Multivariate selection to reduce combinatorial background (BDT)

Remaining backgrounds suppressed by choice of $m(K\ell\ell)$ window

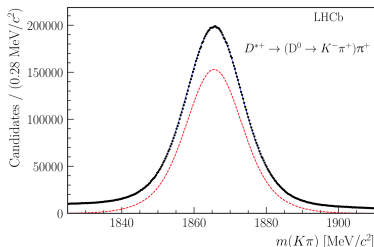
- $B^+ \rightarrow K^+ J/\psi(e^+e^-)$
- Partially reconstructed $B \rightarrow KX\ell\ell$ decays
- Modelled in fit by constraining their fractions between trigger categories and calibrating simulated templates from data.
- Cross-check our estimates using control regions in data and changing $m(K\ell\ell)$ window in fit



Efficiency calibration

Ratio of efficiencies determined with simulation carefully calibrated using control channels selected from data:

- Particle ID calibration
 - Tune particle ID variables for diff. particle species using kinematically selected calibration samples ($D^{*+} \rightarrow D^0(K^-\pi^+)\pi^+\dots$) [EPJ T&I(2019)6:1]
- Calibration of q^2 and $m(K^+e^+e^-)$ resolutions
 - Use fit to $m(J/\psi)$ to smear q^2 in simulation to match that in data
- Calibration of B^+ kinematics
- Trigger efficiency calibration



- Calibrate the simulation so that it describes correctly the kinematics of the B^+ 's produced at LHCb.
- Compare distributions in data and simulation using $B^+ \rightarrow K^+ J/\psi(\ell^+ \ell^-)$ candidates.
- Iterative reweighing of $p_T(B^+) \times \eta(B^+)$, but also the vertex quality and the significance of the B^+ displacement.

none

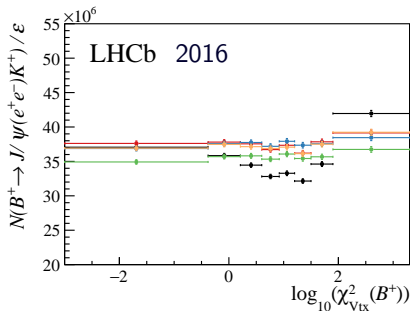
$\mu\mu$ LOMuon, nominal

$\mu\mu$ LOTIS

ee LOElectron

$VTX\chi^2$: ee LOElectron,

$p_T(B) \times \eta(B)$, $IP\chi^2$: $\mu\mu$ LOMuon



→ Systematic uncertainty from RMS between all these weights

- To ensure that the efficiencies are under control, check

$$r_{J/\psi} = \frac{\mathcal{B}(B^+ \rightarrow K^+ J/\psi(\mu^+ \mu^-))}{\mathcal{B}(B^+ \rightarrow K^+ J/\psi(e^+ e^-))} = 1,$$

known to be true within 0.4%.

- Very stringent check, as it requires direct control of muons vs electrons.
- Result:

$$r_{J/\psi} = 0.981 \pm 0.020 \text{ (stat + syst)}$$

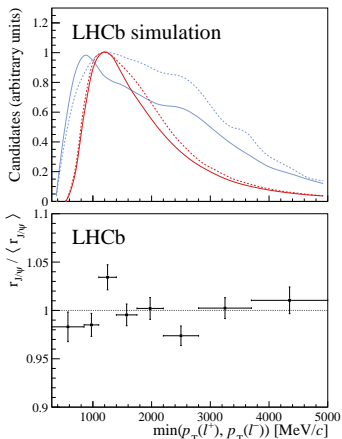
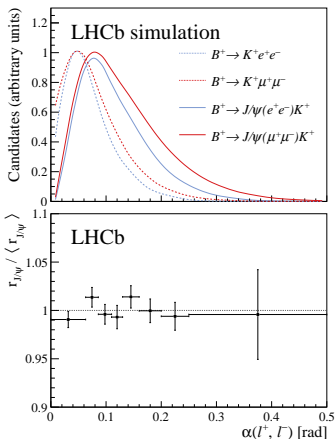
- Checked that the value of $r_{J/\psi}$ is compatible with unity for all periods and in all trigger samples.

Cross-check: $r_{J/\psi}$ as a function of kinematics

Check that efficiencies are understood in all kinematic regions $\rightarrow r_{J/\psi}$ is flat for all variables examined

\rightarrow e.g. given expected $\min(p_T(\ell^+), p_T(\ell^-))$ spectra, bias expected on R_K if deviations are genuine rather than fluctuations is 0.1%

[LHCb-PAPER-2021-004]

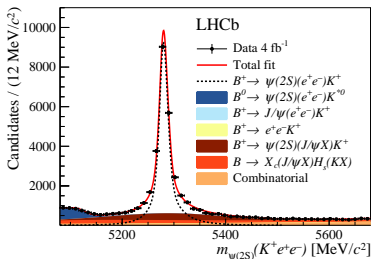
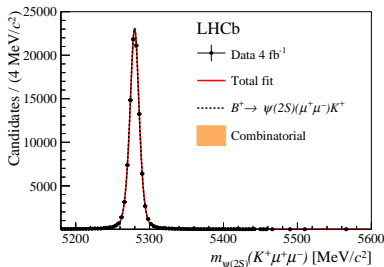


- Measurement of the double ratio

$$R_{\psi(2S)} = \frac{\mathcal{B}(B^+ \rightarrow K^+ \psi(2S)(\mu^+ \mu^-))}{\mathcal{B}(B^+ \rightarrow K^+ J/\psi(\mu^+ \mu^-))} \bigg/ \frac{\mathcal{B}(B^+ \rightarrow K^+ \psi(2S)(e^+ e^-))}{\mathcal{B}(B^+ \rightarrow K^+ J/\psi(e^+ e^-))},$$

Result well compatible with unity:

$$R_{\psi(2S)} = 0.997 \pm 0.011 \text{ (stat + syst)}$$



Systematics uncertainties

Dominant sources ($\sim 1\%$)

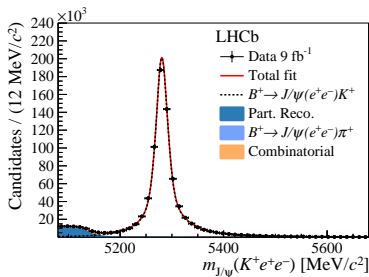
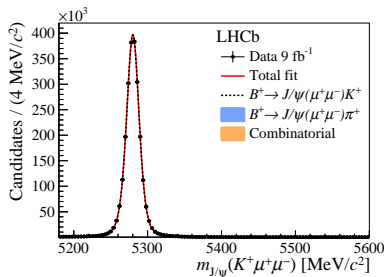
- Choice of fit model
 - Associated signal and partially reconstructed background shape
- Statistics of simulation and calibration samples
 - Bootstrapping method that takes into account correlations between calibration samples and final measurement

Sub-dominant sources ($\sim 1\text{‰}$)

- Efficiency calibration
 - Dependence with tag, in tag-and-probe determinations;
 - Parameterisation bias (e.g. factorisation of PID efficiencies for kaons and electrons) tag and trigger bias;
 - Dependence of q^2 and $m(K^+e^+e^-)$ resolution with q^2
 - Inaccuracies in material description in simulation (tracking efficiency)
 - ...

→ Total relative systematic of 1.5% in the final R_K measurement ⇒
Expected to be statistically dominated

Yields for $B^+ \rightarrow K^+ J/\psi(\ell^+ \ell^-)$, used as input for cross-checks and final determination of R_K , obtained from a fit to the J/ψ -constrained B mass



- Signal and background shapes determined from calibrated simulation
- Allow for a shift in the position in the signal peak and a scale factor to the resolution to float in the fit
- Results cross-checked with a fit to the unconstrained $m(K\ell\ell)$

Simultaneous fit to extract R_K

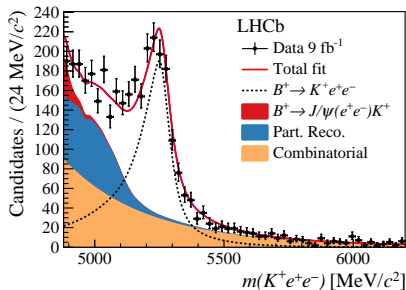
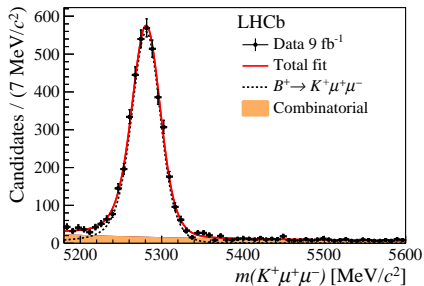
- Get R_K directly as a parameter of the fit
- Perform simultaneous fit to $m(K^+ e^+ e^-)$ and $m(K^+ \mu^+ \mu^-)$ distributions

$$R_K = \frac{N_{K\mu\mu}^r}{N_{Kee}^{rt}} \cdot \frac{N_{J/\psi ee}^{rt}}{N_{J/\psi\mu\mu}^r} \cdot \frac{\varepsilon_{Kee}^{rt}}{\varepsilon_{K\mu\mu}^r} \cdot \frac{\varepsilon_{J/\psi\mu\mu}^r}{\varepsilon_{J/\psi ee}^{rt}}$$
$$= \frac{N_{K\mu\mu}^r}{N_{Kee}^{rt}} \cdot c_K^{rt},$$

for $r = \text{Run 1, Run 2}$ and $t = \text{L0Electron, L0Hadron, L0TIS}$.

- c_K^{rt} are included as a multidimensional Gaussian constraint, with uncertainties and correlations according to the 6×6 covariance matrix σ
- Partially reconstructed background comes essentially from $B \rightarrow K\pi e^+ e^-$ and so it can be constrained using

$$\frac{N_{prc}^{r,t}}{N_{prc}^{r,eTOS}} = \frac{\varepsilon_{trig, mass}^{r,t}(K\pi ee)}{\varepsilon_{trig, mass}^{r,eTOS}(K\pi ee)} = r_{prc}^{rt}$$



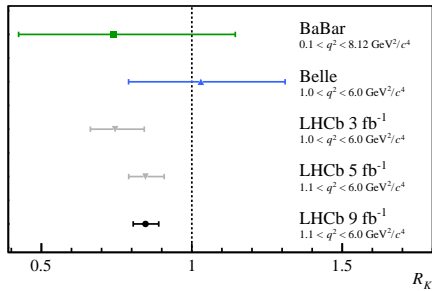
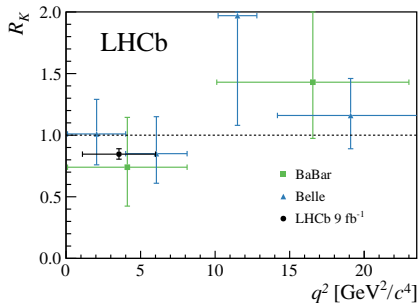
- Signal and background shapes determined from calibrated simulation.
- Mass shift and resolution scale fixed to that observed in the fit to the resonant mode.
- Leakage from $B^+ \rightarrow J/\psi(ee)K^+$ in the $B^+ \rightarrow K^+ e^+ e^-$ signal region ($1.1 < q^2 < 6.0 \text{ GeV}^2/c^4$), constrained from the fit to the resonant mode.

R_K with full Run1 and Run2 dataset

[LHCb-PAPER-2021-004]

[Belle, JHEP 03 (2021) 105]

[BaBar, PRD 86 (2012) 032012]

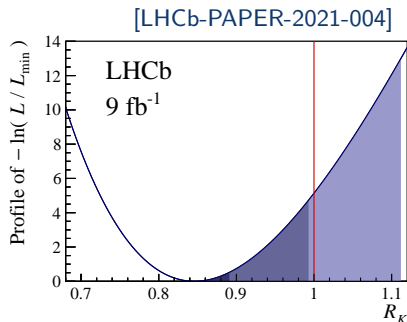


$$R_K = 0.846^{+0.042}_{-0.039} \text{ (stat)}^{+0.013}_{-0.012} \text{ (syst)}$$

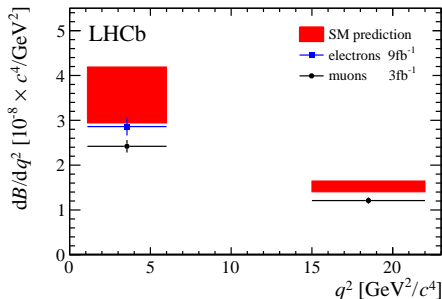
Compatibility with the Standard Model

- Compatibility with the SM obtained by integrating the profiled likelihood as a function of R_K above 1
 - Taking into account the 1% theory uncertainty on R_K [EPJC76(2016)8,440]
 - p -value is converted into significance using the inverse Gaussian c.d.f. for a one-sided conversion

 - p -value under the SM hypothesis: 0.0010
- Evidence of LFU violation at 3.1 standard deviations



- Combining the measurement of R_K with the published value for $\mathcal{B}(B^+ \rightarrow K^+ \mu^+ \mu^-)$ [LHCb-PAPER-2014-006]

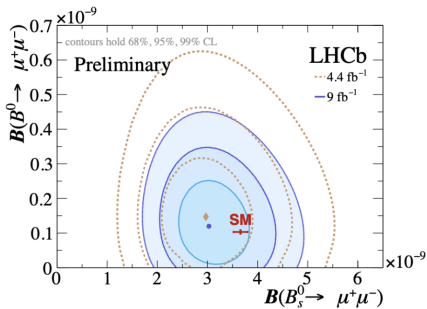
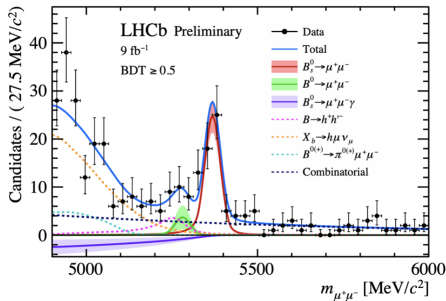


In the range $q^2 \in [1.1, 6] \text{ GeV}^2/c^4$

$$\frac{d\mathcal{B}(B^+ \rightarrow K^+ e^+ e^-)}{dq^2} = (28.6^{+1.5}_{-1.4}(\text{stat}) \pm 1.4(\text{syst})) \times 10^{-9} \text{ c}^4/\text{GeV}^2$$

- Dominant systematic comes from the $\mathcal{B}(B^+ \rightarrow K^+ J/\psi)$
- This is the most precise determination of this branching fraction to date

New measurement of $\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-)$ [LHCb-PAPER-2021-007]

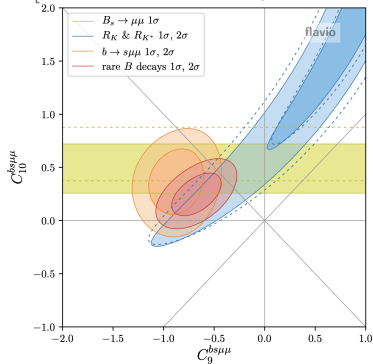


$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-) = (3.09^{+0.46}_{-0.43} \quad ^{+0.15}_{-0.11}) \times 10^{-9}$$

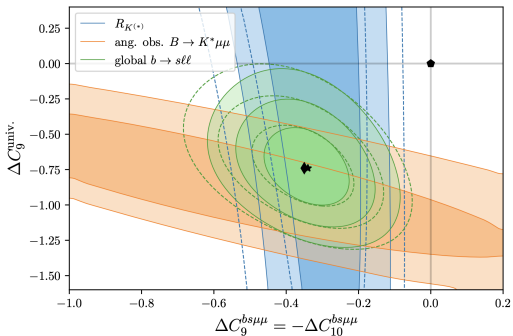
$$\mathcal{B}(B^0 \rightarrow \mu^+ \mu^-) < 2.6 \times 10^{-10} \quad (95\% \text{CL})$$

Impact on Global Fits

[W. Altmannshofer et al., arXiv:2103.13370]



[J. Kriewald et al., arXiv:2104.00015]



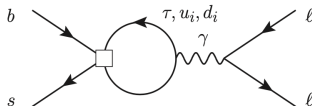
- Best fit point still in tension with the SM
 - Scenario with $C_9 = -C_{10}$ still good
- Tension between $R_K^{(*)}$ & $b \rightarrow s\mu^+\mu^-$ observables
 - could be reduced by LFU contribution to C_9

[Similar fits by M. Algueró et al., Moriond QCD 2021,

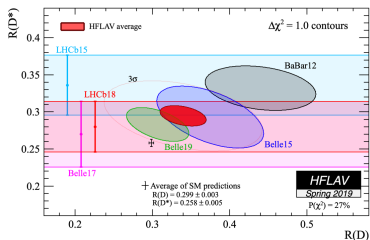
C. Cornella et al., arXiv:2103.16558, L-G. Geng et al., arXiv:2103.12738]

Connection with charged currents?

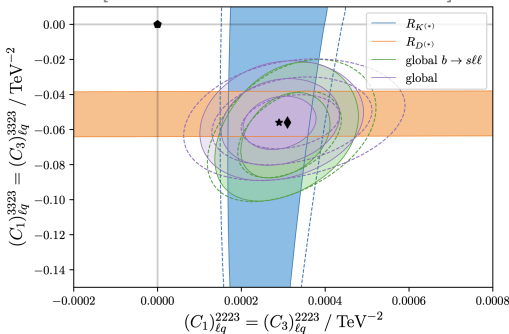
- C_9^{univ} can arise from corrections involving τ -loops
 → Need to consider SMEFT (higher scale)
- Consider operators that can explain also anomalies in $b \rightarrow c\ell\nu$
 → $R(D^{(*)}) = \mathcal{B}(B \rightarrow D^{(*)}\tau\nu) / \mathcal{B}(B \rightarrow D^{(*)}\mu\nu)$
 → Oversimplified scenario (need to consider real models)



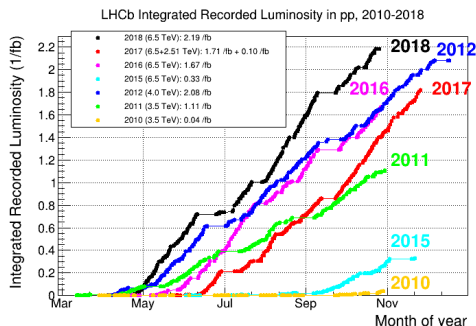
Bobeth, Haisch, arXiv:1109.1826
 Crivellin, Greub, Müller, Saturnino, arXiv:1807.02068



[J. Kriewald et al., arXiv:2104.00015]

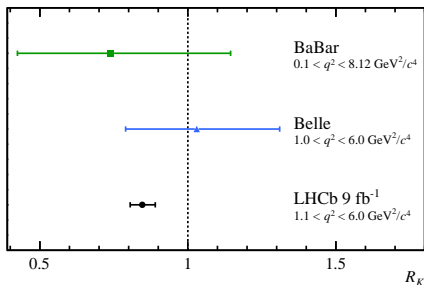


What next?



- With the LHCb dataset in hand, many interesting results still to come
 - Update of R_{K^*0} with full Run 2 dataset
 - LFU test in different channels: R_ϕ , R_{K_S} , $R_{K^{*+}}$, $R_{K\pi\pi\dots}$
 - Update of angular observables of $b \rightarrow s\mu^+\mu^-$ decays
 - Measurements of $b \rightarrow s\tau\tau$ processes and LFV involving τ 's
- For a definite answer on LFU we will need Run 3, as well as input from other LHC experiments and Belle II

Conclusions



- Performed measurement of the LFU ratio R_K using the full Run 1 and Run 2 LHCb dataset
 - Compatibility with the SM at $3.1\sigma \Rightarrow$ Evidence for LFU breaking
- Many more results on rare $b \rightarrow s\ell\ell$ decays on the pipeline
- Run 3 definitely needed to understand the full picture, as well as measurements from ATLAS, CMS and Belle II