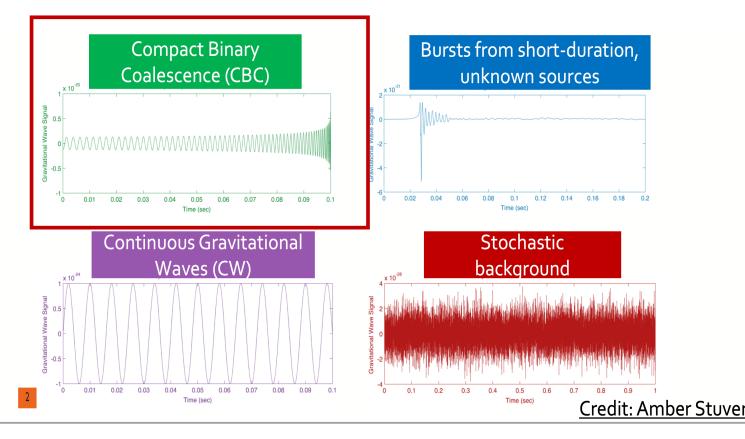
A brief Introduction to Data Analysis procedures in LVK

Ester Ruiz Morales UPM & IFT-Madrid Virgo Group

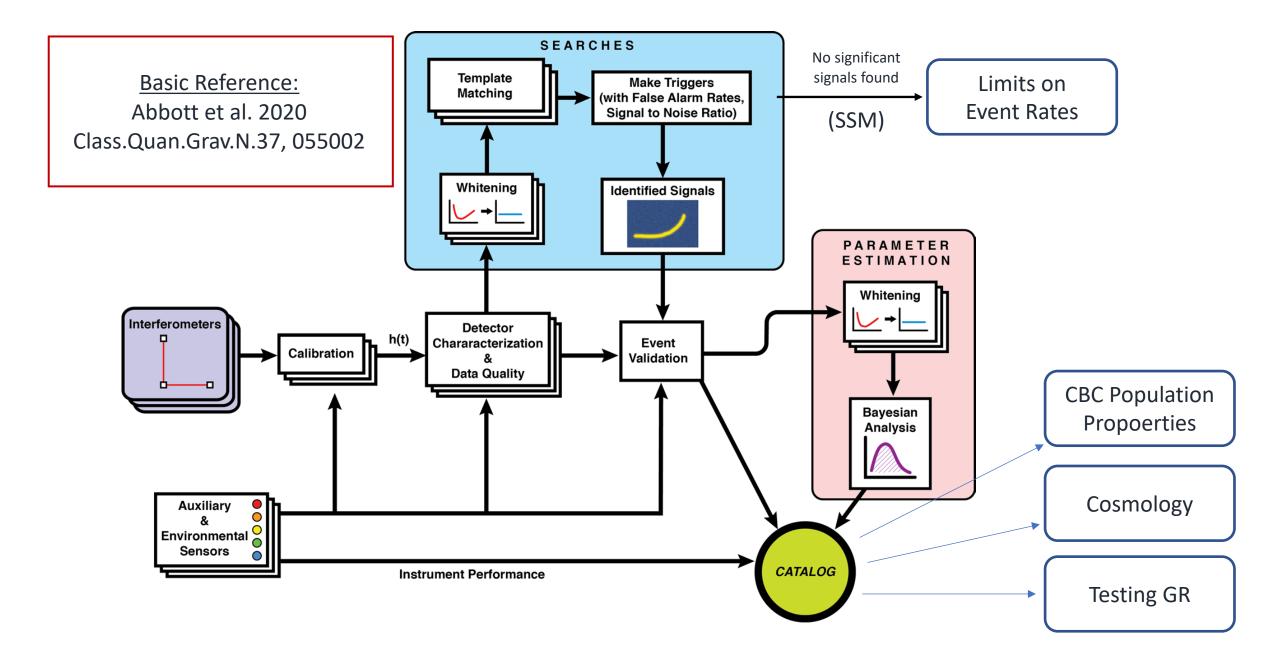
- Data analysis is a huge topic!
- I present a very limited scope, reduced to:
 - CBC data
 - Mainly in off-line data processing for the GWTC.
- For Low Latency information, see for instance Cardiff 22 LVK meeting slides:



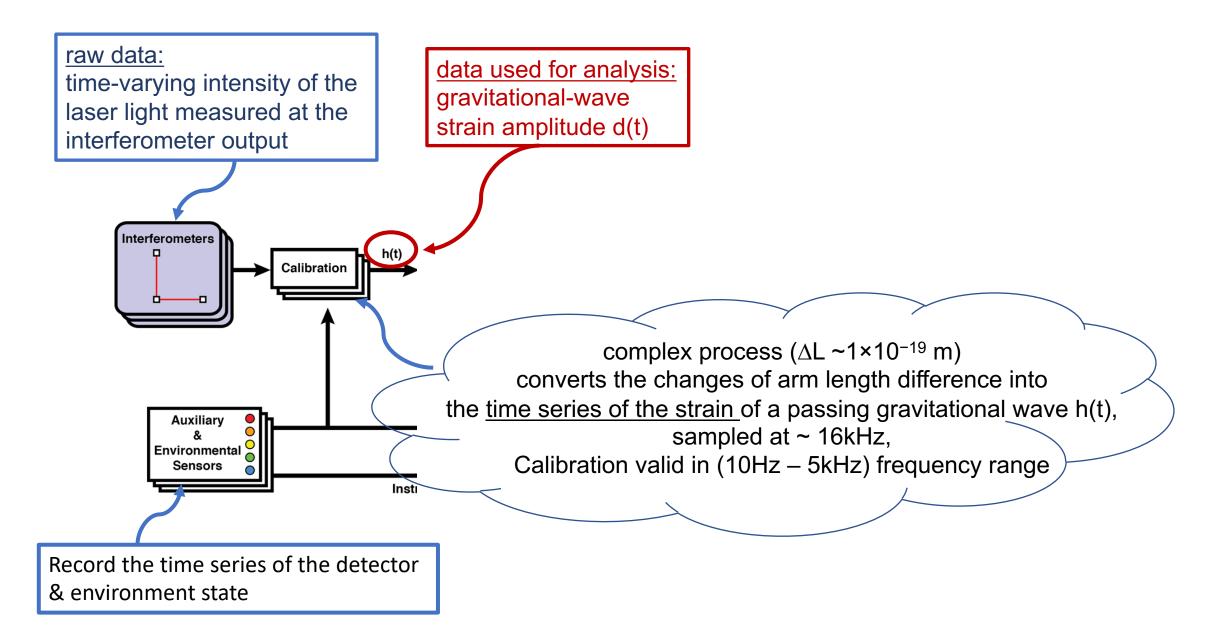
https://dcc.ligo.org/DocDB/0184/G2201664/003/LowLatency_Plenary.pdf

- Describe the basic methods/procedures, main properties & limitations.
- Many of them are automatized, but I won't describe that either.

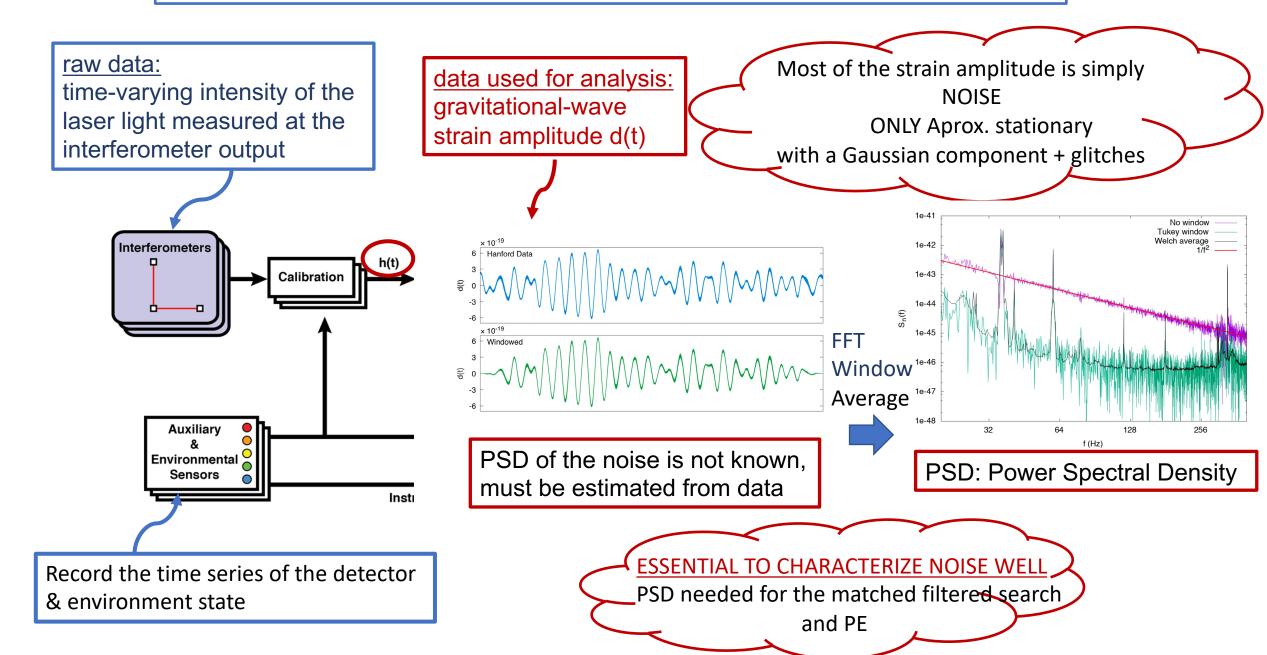
Main steps in data processing



Data processing – Step 1: What is really measured?



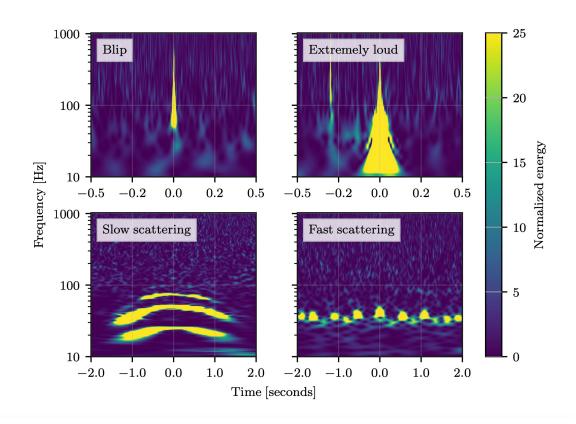
Data processing – Step 1: What is really measured?

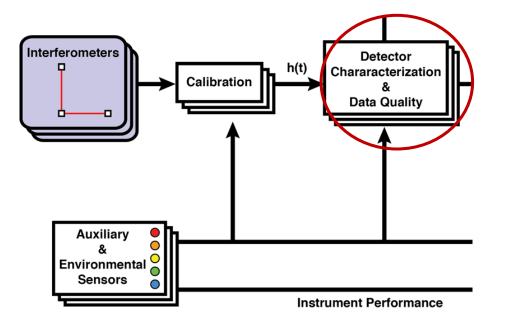


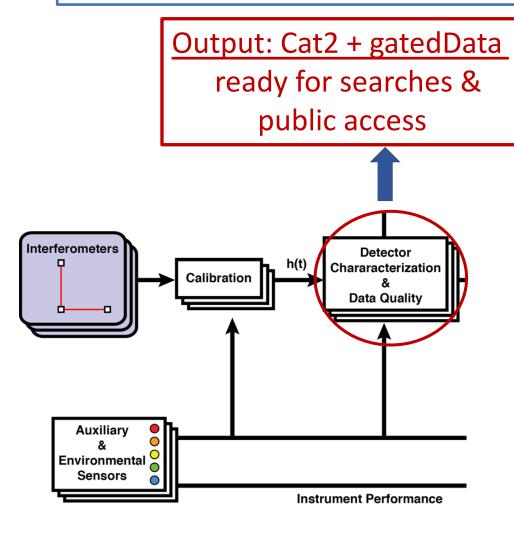
DetChar & DQ functions:

1.- Noise characterization and mitigation

- Find sources of noise and work in on-site mitigation
- Characterization of transient noise in the detectors





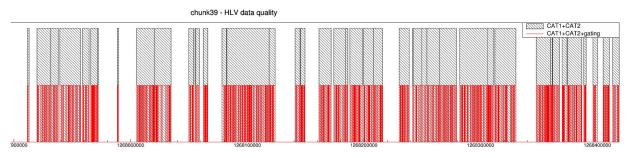


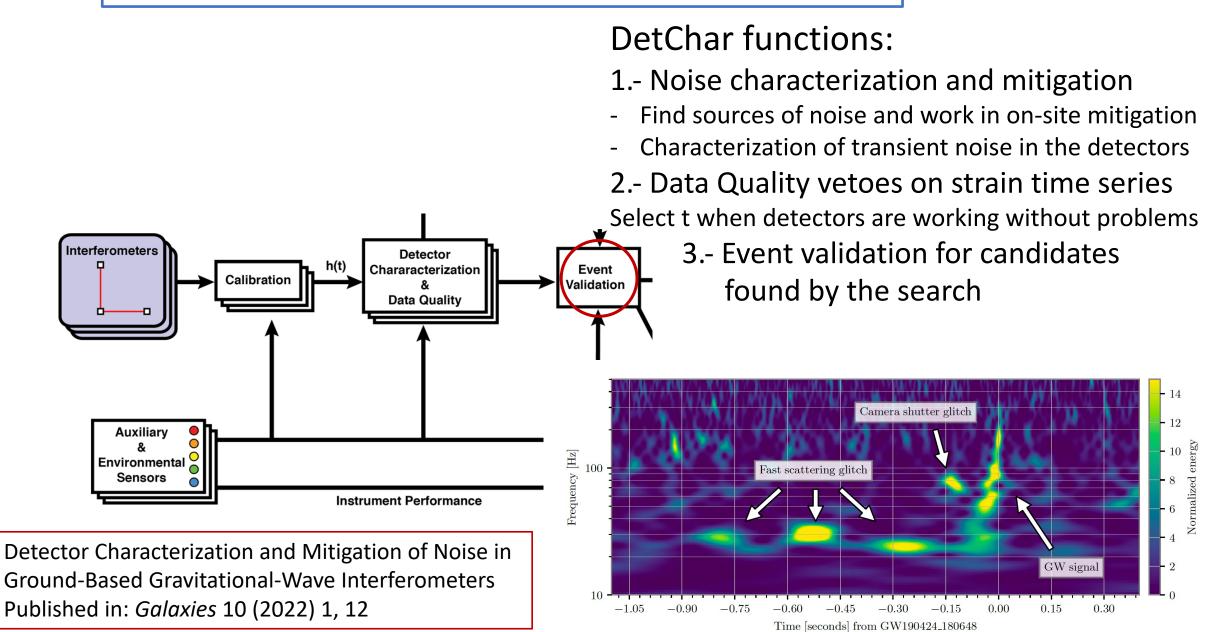
DetChar functions:

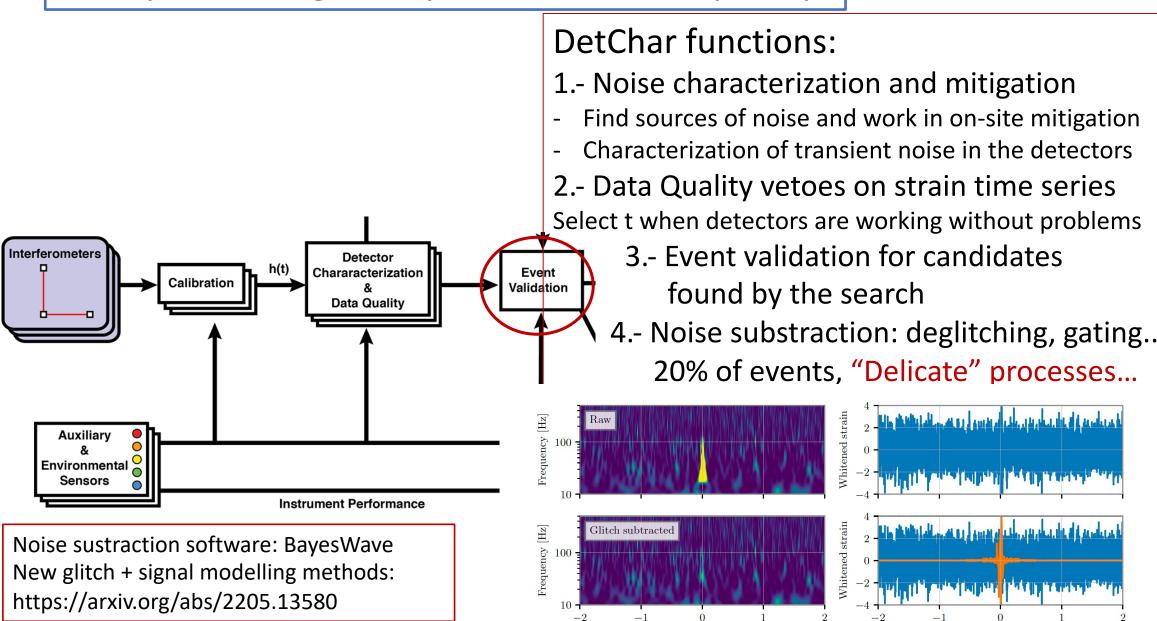
1.- Noise characterization and mitigation

- Find sources of noise and work in on-site mitigation
- Characterization of transient noise in the detectors

2.- Data Quality vetoes on strain time series Select t when detectors are working without problems







Time [s]

Time

Data processing – Step 3: Matched filtered searches

Signal identification: Match filtering of d(t)

1.- A common bank of templates for filtering is designed for each category: BBH,NSBH & BNS.

2.- For each template h(t) w. param μ

$$\mathbf{h}(\boldsymbol{\theta}) = A\mathbf{p}(t, \boldsymbol{\mu}) \cos \phi + A\mathbf{q}(t, \boldsymbol{\mu}) \sin \phi$$

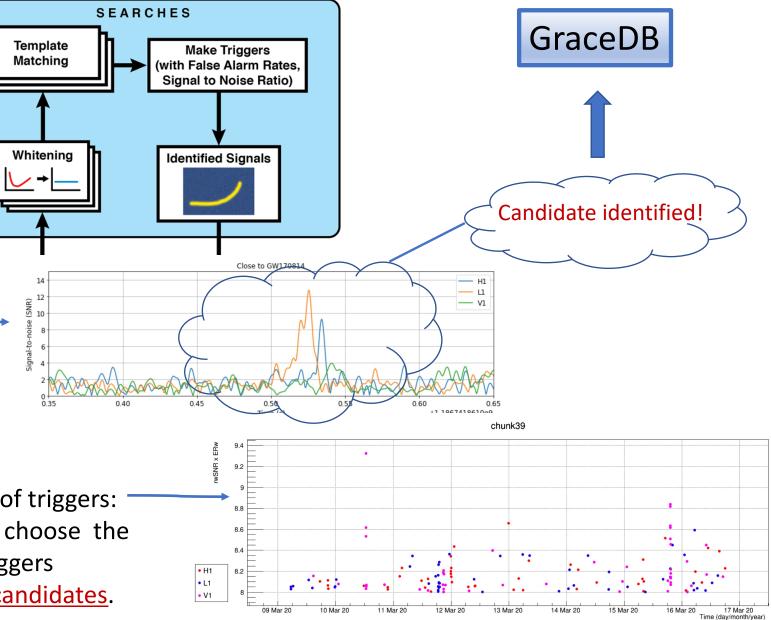
calculate the SNR time series

$$\rho(t, \boldsymbol{\mu}) \equiv \sqrt{(\mathbf{d} \mid \mathbf{p}(t, \boldsymbol{\mu}))^2 + (\mathbf{d} \mid \mathbf{q}(t, \boldsymbol{\mu}))^2}$$

 $(\mathbf{a}|\mathbf{b}) = 2 \int_0^{\infty} \frac{a(f)b(f) + a(f)b(f)}{S_n(f)} \, \mathrm{d}f \,.$

SNR quantifies the likelihood that the observed data contains a GW signal.

3.- As result of filtering, we get a collection of triggers: -4.- Cluster triggers in time in each detector, choose the most representative, look for coincident triggers in more than one detector to select <u>signal candidates</u>.



Data processing – Step 3': Event Ranking

SEARCHES

We get a HUGE amount of triggers, most of them caused by NOISE !!

Need to solve 2 problems:

1.- How do we rank the triggers to select the most "signal like" ones?

- <u>SNR is optimal ranking statistics in Gaussian Noise:</u> the higher the SNR the higher the likelihood that data contains a signal
- But non-gaussian glitches produce HIGH SNR!
- A reweighted-SNR (using chi^2 methods) is used as RE
- Each pileline uses his own RE.

2.- How do we assign an <u>statistical</u><u>significance</u> to each candidate eventin terms of its ranking statistic?



Data processing – Step 3: Event Ranking

 10^{-1}

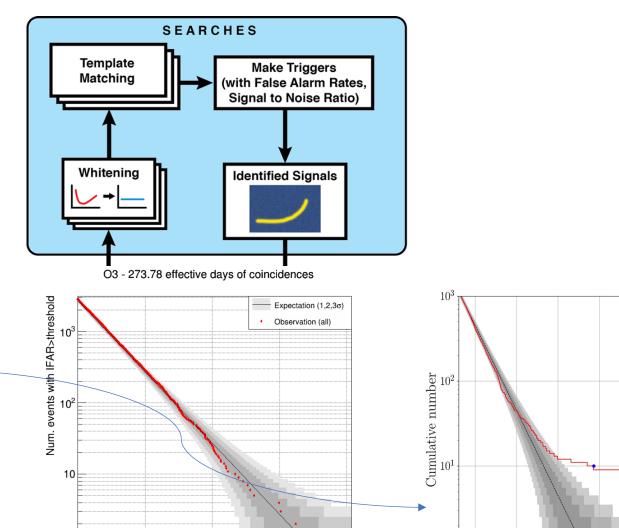
1.- <u>Assign a FAR value to the event</u> = the rate of background triggers with ranking statistics value equal to or greater than the RE of the event.

2.- The background distribution of the ranking statistic is estimated in a data driven way, by running the search over time-shifted detector data, so that coincidences become not physical.

3.- Plot the cumulative FAR distribution for background and data, outstanding events would clearly appear, as in GWCT1 plots

4.- The FARxTobs = estimate of the probability of there being at least one noise trigger with a FAR this low or lower in the observed time.

Typically: FAR< 2/year for O3a/b runs



Inverse False Alarm rate threshold [days] 10^2

MBTA in SSMO3b

PyCBC in GWTC1

Inverse false-alarm rate (v)

 10^{1}

 10^{0}

 10^{0}

 10^{-3}

 10^{-2}

 10^{-1}

Expected background

Foreground GW events

 $< 3\sigma$ $< 2\sigma$

 $< 1\sigma$

 10^{2}

 10^{3}

 10^{4}

Data processing – Step 3: Event Ranking

Problem:

Since FAR depends exponentially on the RE values, <u>FAR values can differ by orders of magnitude among pipelines!</u>

Name	Inst.	cWB			GstLAL			MBTA			PyCBC-broad			PyCBC-BBH		
		$\frac{\text{FAR}}{(\text{yr}^{-1})}$	SNR	p_{astro}	$_{\rm (yr^{-1})}^{\rm FAR}$	SNR	p_{astro}	$\frac{\text{FAR}}{(\text{yr}^{-1})}$	SNR	p_{astro}	$\frac{\text{FAR}}{(\text{yr}^{-1})}$	SNR	p_{astro}	$\frac{\text{FAR}}{(\text{yr}^{-1})}$	SNR	p_{astro}
GW191103_012549	HL	_	_	_	-	_	_	27	9.0	0.13	4.8	9.3	0.77	0.46	9.3	0.94
$GW191105_143521$	HLV	_	_	_	24	10.0	0.07	0.14	10.7	> 0.99	0.012	9.8	> 0.99	0.036	9.8	> 0.99
$GW191109_010717$	$^{\rm HL}$	< 0.0011	15.6	> 0.99	0.0010	15.8	> 0.99	1.8×10^{-4}	15.2	> 0.99	0.096	13.2	> 0.99	0.047	14.4	> 0.99
GW191113_071753	HLV	_	—	—	_	_	—	26	9.2	0.68	1.1×10^{4}	8.3	< 0.01	1.2×10^{3}	8.5	< 0.02
GW191126_115259	$^{\rm HL}$	-	-	-	80	8.7	0.02	59	8.5	0.30	22	8.5	0.39	3.2	8.5	0.70
GW191127_050227	HLV	_	_	_	0.25	10.3	0.49	1.2	9.8	0.73	20	9.5	0.47	4.1	8.7	0.74
$GW191129_{-}134029$	$^{\rm HL}$	_	_	_	$< 1.0 \times 10^{-5}$	13.3	> 0.99	0.013	12.7	> 0.99	$< 2.6 \times 10^{-5}$	12.9	> 0.99	$< 2.4 \times 10^{-5}$	12.9	> 0.99
GW191204_110529	$^{\rm HL}$	_	_	_	21	9.0	0.07	1.3×10^{4}	8.1	< 0.01	980	8.9	< 0.01	3.3	8.9	0.74
$GW191204_171526$	$^{\rm HL}$	$< 8.7 \times 10^{-4}$	17.1	> 0.99	$< 1.0 \times 10^{-5}$	15.6	> 0.99	$< 1.0 \times 10^{-5}$	17.1	> 0.99	$<1.4\times10^{-5}$	16.9	> 0.99	$< 1.2 \times 10^{-5}$	16.9	> 0.99
$GW191215_223052$	HLV	0.12	9.8	0.95	$< 1.0 \times 10^{-5}$	10.9	> 0.99	0.22	10.8	> 0.99	0.0016	10.3	> 0.99	0.28	10.2	> 0.99
GW191216_213338	нv	_	_	_	$< 1.0 \times 10^{-5}$	18.6	> 0.99	9.3×10^{-4}	17.9	> 0.99	0.0019	18.3	> 0.99	7.6×10^{-4}	18.3	> 0.9
GW191219_163120	HLV	_	_	_	_	_	_	_	_	_	4.0	8.9	0.82	_	_	_

Data processing – Step 3: Event Ranking

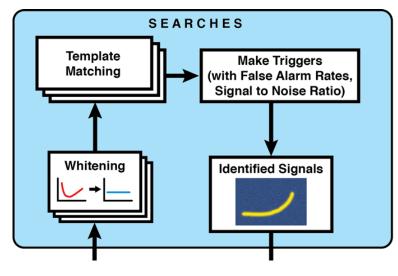
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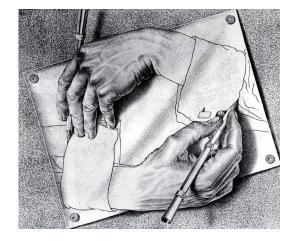
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Typically: FAR< 2/year for O3a/b runs





¿Does Pastro have this risk?

• Present situation:

FAR eliminated as statistical criteria from the catalogs after GWTC1.

For an evaluation of the FAR from Gaussian Noise in GD Detectors, see our recent paper: <u>arXiv:2209.05475</u>

• Since GWTC2.1 <u>Pastro introduced to</u> <u>quantify the "probability of astrophysical</u> <u>origin".</u>

Characteristics:

- Event goes to catalog if Pastro >0.5.
- Each pipeline computes its own.
- Based on prior knoledge of the population properties and rates!

Main steps in data processing

See Jose Francisco's talk for the rest of topics!

Thank You!

